# SpecConstr: optimising purely functional loops 

Amos Robinson

May 30, 2013

## Motivation - dot product

The code we want to write
type V = Unboxed.Vector
dotp :: V Int -> V Int -> Int dotp as bs

$$
\begin{array}{ll}
=\text { fold } \quad(+) & 0 \\
\text { \$ zipWith (*) as bs }
\end{array}
$$

## Motivation - dot product

The code we want to run
dotp as bs = go 00
where
go i acc
| i > V.length as
= acc
| otherwise
$=$ go $(i+1)(a c c+(a s!i * b s!i))$
No intermediate vectors, no constructors, no allocations: perfect. (Just pretend they're not boxed ints...)

## Motivation - dot product

The code we get after stream fusion (trust me)
dote as bs $=$ go (Nothing, 0) 0 where
go (_, i) acc
| i > V.length as
= acc
go (Nothing, i) acc
= go (Just (asti), i) acc
go (Just a, i) acc
$=$ go (Nothing, $i+1)(a c c+(a * b s!i))$
All those allocations!

## Motivation - dot product

The code we get after stream fusion (trust me)
dote as bs = go (Nothing, 0) 0 where
go (_, i) acc
| i > V.length as
$=\mathrm{acc}$
go (Nothing, i) acc
= go (Just (asti), i) acc
go (Just a, i) acc
$=$ go (Nothing, $i+1)(a c c+(a * b s!i))$
Only to be unboxed and scrutinised immediately. What a waste.

## Motivation - dot product

Let us try specialising this by hand.
dotp as bs = go (Nothing, 0) 0 where

```
go (_, i) acc
    | i > V.length as = acc
go (Nothing, i) acc = go (Just (as!i), i) acc
go (Just a, i) acc = go (Nothing, i+1) (acc + (a*bs!i))
```

Start by looking at the first recursive call. We can specialise the function for that particular call pattern.

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
```

```
go'1 i acc = case i > V.length as of
```

go'1 i acc = case i > V.length as of
True -> acc
True -> acc
False -> go (Just (as!i), i) acc

```
    False -> go (Just (as!i), i) acc
```

    go (_, i) acc
    | i > V.length as = acc
    go (Nothing, i) acc = go (Just (as!i), i) acc
    go (Just a, i) acc = go'1 (i + 1) (acc + (a * bs!i))
    Specialise on go (Nothing, x) y = go'1 x y

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
    True -> acc
    False -> go (Just (as!i), i) acc
```

go (_, i) acc
| i > V.length as = acc
go (Nothing, i) acc = go (Just (as!i), i) acc
go (Just a, i) acc = go'1 (i + 1) (acc + (a * bs!i))

Now look at the call in the new function. We can specialise on that pattern, too!

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
    True -> acc
    False -> go'2 (as!i) i acc
    go'2 a i acc = case i > V.length as of
    True -> acc
    False -> go'1 (i + 1) (acc + (a * bs!i))
    go (_, i) acc
    | i > V.length as = acc
    go (Nothing, i) acc = go (Just (as!i), i) acc
    go (Just a, i) acc = go'1 (i + 1) (acc + (a * bs!i))
```

Specialise on go (Just $\mathrm{x}, \mathrm{y}$ ) $\mathrm{z}=\mathrm{go}$ '2 x y z

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
    True -> acc
    False -> go'2 (as!i) i acc
    go'2 a i acc = case i > V.length as of
    True -> acc
    False -> go'1 (i + 1) (acc + (a * bs!i))
    go (_, i) acc
    | i > V.length as = acc
    go (Nothing, i) acc = go (Just (as!i), i) acc
    go (Just a, i) acc = go'1 (i + 1) (acc + (a * bs!i))
```

Now it turns out that go isn't even mentioned any more. Get rid of it.

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
        True -> acc
        False -> go'2 (as!i) i acc
    go'2 a i acc = case i > V.length as of
    True -> acc
    False -> go'1 (i + 1) (acc + (a * bs!i))
```

These two are mutually recursive, but we can still inline go' 2 into go' 1 .

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
    True -> acc
    False -> case i > V.length as of
            True -> acc
            False -> go'1 (i + 1) (acc + (as!i * bs!i))
```

The case of i > V.length as is already inside the False branch of a case of the same expression, we can remove the case altogether.

## Motivation - dot product

Let us try specialising this by hand.

```
dotp as bs = go'1 0 0
    where
    go'1 i acc = case i > V.length as of
    True -> acc
    False -> go'1 (i + 1) (acc + (as!i * bs!i))
```

Which was what we wanted.

## GHC pipeline (not to scale)

We now have some intuition about SpecConstr. How does it fit in with the rest of GHC's optimisations?

| Parse | $::$ | String | $\rightarrow$ | Source |
| :--- | :--- | :--- | :--- | :--- |
| Typecheck | $::$ | Source | $\rightarrow$ | Source |
| Desugar | $::$ | Source | $\rightarrow$ | Core |
| Simplify | $::$ | Core | $\rightarrow$ | Core |
| SpecConstr | $::$ | Core | $\rightarrow$ | Core |
| Simplify $\times 50$ | $::$ | Core | $\rightarrow$ | Core |
| Code generation | $::$ | Core | $\rightarrow$ | Object |

## GHC pipeline (not to scale)

We now have some intuition about SpecConstr. How does it fit in with the rest of GHC's optimisations?

| Parse | $::$ | String | $\rightarrow$ | Source |
| :--- | :--- | :--- | :--- | :--- |
| Typecheck | $::$ | Source | $\rightarrow$ | Source |
| Desugar | $::$ | Source | $\rightarrow$ | Core |
| Simplify | $::$ | Core | $\rightarrow$ | Core |
| SpecConstr | $::$ | Core | $\rightarrow$ | Core |
| Simplify $\times 50$ | $::$ | Core | $\rightarrow$ | Core |
| Code generation | $::$ | Core | $\rightarrow$ | Object |

Focus on these parts.

## Simplifier

The simplifier does a bunch of transforms in a single pass:

- Case of constructor
- Inlining
- Rewrite rules
- Let floating
- Beta reduction
and many more, but these are the most interesting for us


## Simplifier

## Case of constructor

case (Just a) of
Nothing $->x$
Just a' -> y
$=>$
let $a^{\prime}=a$
in y
When the scrutinee of a case is known to be a constructor, we can remove the case altogether.

## Simplifier

Inlining
zipWith f xs ys
= unstream $\$$ zipWith_S f (stream xs) (stream ys)
zipWith (*) as bs
$=>$
unstream \$ zipWith_S (*)
(stream as) (stream bs)
Move the definition of a function into places it is used

## Simplifier

Rewrite rules
$\{-\#$ RULES stream (unstream xs) $=x s$ \#- $\}$
fold_S (+) \$ stream \$ unstream \$
zipWith_S (*) (stream as) (stream bs)
==>
fold_S (+) \$
zipWith_S (*) (stream as) (stream bs)
Replace left-hand side with right, anywhere

## SpecConstr, actually

The basic idea:

- Find calls with constructors
- Create new functions for that call pattern
- Add rewrite rules for each call pattern
- Let the simplifier do the rest

```
enumFromTo f t acc
    = case f > t of
    True -> acc
    False -> enumFromTo f (t-1) (t : acc)
```

(Silly example.)

## SpecConstr, actually

The basic idea:

- Find calls with constructors
- Create new functions for that call pattern
- Add rewrite rules for each call pattern
- Let the simplifier do the rest

```
enumFromTo f t acc
    = case f > t of
    True -> acc
    False -> enumFromTo'1 f (t-1) t acc
```

enumFromTo'1 $f$ t cons acc
$=$ case $f>t$ of
True -> acc
False -> enumFromTo f (t-1) (t : cons : acc)

Not only will this diverge, it's not even decreasing allocations!

## SpecConstr, actually

The basic idea:

- Find calls with constructors on scrutinised parameters
- Create new functions for that call pattern
- Add rewrite rules for each call pattern
- Let the simplifier do the rest

```
enumFromTo f t acc
    = case f > t of
    True -> acc
    False -> enumFromTo f (t-1) (t : acc)
```


## SpecConstr, actually

Looking through bindings

```
silly2 xs' = case xs' of
    [] \(\quad->\) []
    (x:xs) -> if \(x>10\)
        then (do1 (x:xs), do2 (x:xs)) : silly2 (x:xs)
        else silly2 xs
```

Common subexpression elimination (CSE) will probably rewrite those $x: x s$ into $x s^{\prime}$.

## SpecConstr, actually

Looking through bindings

```
silly2 xs' = case \(x s^{\prime}\) of
    [] -> []
    (x:xs) -> if \(x>10\)
        then (do1 xs', do2 xs') : silly2 xs'
        else silly2 xs
```

But now it's not obvious that silly2 xs' is a valid call pattern. No matter: keep track of the bound variables and their values. If we know $x s^{\prime}=x$ :xs, we can still specialise.

## SpecConstr, actually

Reboxing

$$
\begin{aligned}
\text { silly2 xs' } & =\text { case } x s^{\prime} \text { of } \\
{[] \quad \rightarrow } & {[] } \\
(x: x s) ~ & \text { if } x>10 \\
& \text { then (do1 } \quad \text { xs', do2 } \quad \text { xs') } \\
& \text { else silly2 } x s
\end{aligned}
$$

Now we'll specialise on silly2 (x:xs) = silly2'1 x xs.

## SpecConstr, actually

Reboxing

```
silly2 xs' = case xs' of
    [] -> []
    (x:xs) -> if x > 10
        then (do1 xs', do2 xs') : silly2 xs'
        else silly2 xs
silly2'1 x xs
    = if x > 10
    then (do1 (x:xs), do2 (x:xs)) : silly2'1 x xs
    else silly2 xs
```

Hey! Now we're actually doing more allocations.
The moral: don't specialise on a bound variable if the variable is used elsewhere.

## ForceSpecConstr

SpecConstr puts a limit on the number of specialisations, to prevent code blowup.

```
unstream :: Stream a -> [a]
unstream (Stream f s) = go ForceSpecConstr s
    where
```

```
go ForceSpecConstr s
```

go ForceSpecConstr s
= case f s of
= case f s of
Done -> []
Done -> []
Skip s' -> go ForceSpecConstr s'
Skip s' -> go ForceSpecConstr s'
Yield a s' -> a : go ForceSpecConstr s'

```
        Yield a s' -> a : go ForceSpecConstr s'
```

But with stream fusion, we want to specialise everything no matter what. Damn the consequences!

End end.

